

## PROCESS MODELING IN THE LINUX OPERATING SYSTEM

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#### Abstract

This paper focuses on the processes in the LINUX operating system. It looks at their possible states. The study proposes a probability analytical model based on Markov chains. The model can be used to define the state of a given process in a specific moment of time, and to evaluate the probability of the process entering a certain state.

Keywords: Process, Linux, modeling, probability analytical model, General Purpose Simulation System (GPSS)

#### **1. INTRODUCTION**

Different operating systems use different concepts: job, task, process. The term process was first used in the MIT MULTICS operating system of MIT in the 1960s and dominates today's operating systems. The shortest definition of a process is a program in the course of its implementation.

Modern computer systems can perform multiple processes simultaneously. It is accepted that this parallelism is called multiprogramming. Its purpose is more efficient use of the resources of the computer system. There are many processes at the same time, and the central processor (CPU) is only one and can perform only one of these processes at any one time. This process is running. The other processes are in some other state.

This paper focuses on the state of the LINUX operating system processes. A probabilistic analytical model based on Markov chains is proposed. It allows you to determine the probability of a process entering a certain state.

# 2. STATE OF THE PROCESSES IN LINUX

The LINUX processes can be found in one of the states  $(1 \div 6)$  represented by the state diagram of Fig. 1.



Fig. 1. Diagram of process states

1. Created. This is the initial state in which the process enters the system. It is a transient state of the process. It is almost created but not yet fully operational.

2. Ready in memory. The process is ready for execution and is in the memory.

3. Running in kernel mode. The process is executed in kernel mode, with the CPU executing commands from the kernel.

4. Running in user mode. The CPU executes commands from the process related user program.

5. Blocked in memory. The process awaits the occurrence of an event and is in the memory.

6. Completion (zombie). This is the final state of each process.

As shown in Figure 1, the execution state is split into two: execution in kernel mode and execution in user mode. When the process is in a state of execution in user mode, user instructions are executed. In the kernel mode execution state, kernel instructions are performed in the context of the current process. The process can not directly go from user mode to blocking, standby, or completion. Such transitions are only possible through the "running in kernel mode" intermediate state. It is not possible to switch from "ready in memory" directly to "execution in user mode".

### **3.** ANALYTICAL MODEL

Each process from its creation to its completion passes through different states (Figure 1). Process states are a finite number, but transition from one state to another changes over time and can be seen as a random process with discrete states. This process can be presented with a graph of states. Each state is marked with a circle, and any possible transition from state to arrow state.

Each possible sequence of process states forms a chain. Since the number of states is limited, the chain is final. Status transitions in state are performed at unknown time points, therefore the chain has a continuous time.

Let us present with a graph the state of the processes in the LINUX OS (Fig. 2).



Fig. 2. Graph of the process states

We assume that the event  $S_1(t)$  corresponds to the process creation  $S_2(t)$  - the state of ready,  $S_3(t)$  - of the state performed in the kernel mode,  $S_4(t)$  - the state in the user mode,  $S_5(t)$  - the state blocked and  $S_6(t)$  - of the completed process.

Every process is always in one of the states at a time. Therefore, only one of the events  $S(t) = S_i$ , (i = 1, 2, ..., n) occurs at any moment of time. If  $p_i(t)$  indicates the probability of the process being in the  $S_i$  state, the normative condition (1)

 $\sum_{i=1}^{n} p_i(t) \tag{1}$ 

For every two time points, it is likely that the process will go into another state, as well as maintain its current state. These probabilities can be considered conditional.

The initial condition of the process is set with the vector of the initial probability distribution of the states (2):

 $P(0) = |p_1(0), p_2(0), \dots, p_n(0)| = |p_i(0)|_{1 \times n}$  (2)

The vector P(0) can be set in advance. It can also be occasional for a given time.

The state of the process after a number of times of change of time can be presented as a distribution of the probabilities of the states (3):

 $p(k) = |p_1(k), p_2(k), ..., p_n(k)| = |p_i(k)|_{1 \times n}$  (3) Where k=1,2,3,... and  $0 \le p_i(k) \le 1$ . The transition probabilities  $P_{ij}(k)$  for passing the process from state  $S_i$  to state  $S_j$  are set with an index matrix of transient states  $P=|P_{ij}(k)|_{n \times n}$ , i,j=1,2,...,n.

With a given vector of the initial probability distribution of states P(0) and a known matrix of transition probabilities P, the probability distribution vector of the states p(k) for each step k can be determined.

If before step k, i.e. in the (k-1) step the process is probable  $p_i(k-1)$  in the  $S_i$  state, then the probability that after the step k is in the state  $S_j$  is determined by the full probability formula (4):

$$p_i(k) = \sum_{i=1}^n p_i(k-1). p_{ii} \qquad (4)$$

where j = 1, 2, ..., n, and  $p_i(k-1)$  are the probabilities of the hypotheses for conditions  $S_i$  (i = 1, 2, ..., n), and  $P_{ij}(i=1, 2, ..., n)$  are the probability probabilities given in j - pillar of the matrix P.

The analytical model of the process can be presented with the following equations and dependencies:

$$\begin{cases} p_{1} = p_{11} \cdot p_{1} + p_{21} \cdot p_{2} + \dots + p_{n1} \cdot p_{n} \\ p_{2} = p_{12} \cdot p_{1} + p_{22} \cdot p_{2} + \dots + p_{n2} \cdot p_{n} \\ \dots & \dots \\ p_{n} = p_{1n} \cdot p_{1} + p_{2n} \cdot p_{2} + \dots + p_{nn} \cdot p_{n} \\ p_{1} + p_{2} + \dots + p_{n} = 1 \end{cases}$$
(3)

If the probability matrix of the transient states is known, it is possible to determine the

probabilities of the process incident in each of the possible  $S_i$  states.

If the probability matrix of the transient states is:

	r0,1	0,9	0	0	ך 0	
	0	0,8	0,2	0	0	
P =	0,1	0,2	0,3	0,3	0,1	
	0	0	0,4	0,6	0	
	L O	0,3	0	0	0,7]	

the following result is obtained:  $P_1=0,02$ ;  $P_2=0,48$ ;  $P_3=0,24$ ;  $P_4=0,18$  and  $P_5=0,08$ .

#### 4. MODEL SIMULATION

The proposed model is described in process-oriented language and simulated with the General Purpose Simulation System (GPSS). ; MS/1/

	GENERATE	90
PS1	QUEUE	QSS1
	SEIZE	SS1
	DEPART	QSS1
	ADVANCE	1
	RELEASE	SS1
	TRANSFER	.50,,PS1
PS2	QUEUE	QSS2
	SEIZE	SS2
	DEPART	QSS2
	ADVANCE	1
	RELEASE	SS2
	TRANSFER	.50,,PS2
PS3	QUEUE	QSS3
	SEIZE	SS3
	DEPART	QSS3
	ADVANCE	1
	RELEASE	SS3
	TRANSFER	.17,,PS1
	TRANSFER	.17,,PS2
	TRANSFER	.15,,PS3
	TRANSFER	.17,,PS5
	TRANSFER	.17,,PS6
PS4	QUEUE	QSS4
	SEIZE	SS4
	DEPART	QSS4
	ADVANCE	1
	RELEASE	SS4
	TRANSFER	.50,,PS3
	TRANSFER	.50,,PS4
PS5	QUEUE	QSS5
	SEIZE	SS5
	DEPART	QSS5
	ADVANCE	1
	RELEASE	SS5
	TRANSFER	.50,,PS2
	TRANSFER	.50,,PS5
PS6	QUEUE	QSS6
	SEIZE	SS6
	DEPART	QSS6
	ADVANCE	1

	RELEASE	SS6
	TERMINATE	
: MS/2/		
,	CENED ATE	100

GENERATE	100
TERMINATE	1

Simulation of the model has given the status of the processes for a given time interval.

When looking at a process, part of the results obtained are:

FACILITY	ENTR	UTIL	AVE T	IME	AVAIL	OWNER
SS1	2	0.010	0.5	00	1	1
SS2	4	0.040	1.0	00	1	0
SS3	2	0.020	1.0	00	1	Ő
SS4	2	0.020	1.0	00	1	Õ
SS5	1	0.010	1.0	00	1	0
OUEUE	MA	x c	ONT.	EN	TRY	ENTRY(0)
AVE.CON	T.					
QSS1	1	0	2		2	
0.000						
QSS2	1	0	4		4	
0.000						
QSS3	1	0	2		2	
	0.000					
QSS4	1	0	2		2	
	0.000					
QSS5	1	0	1		1	
	0.000					

For the specified time interval, the process under investigation was two times  $S_1$ , four times  $S_2$ , two times  $S_3$  and  $S_4$ , one time  $S_5$ . At the end of the interval is the execution state  $(S_1)$ .

The following data is obtained from ten processes:

FACILIT	Y	ENTRI	ES	UTIL.	AVE.	ГIME	AVAIL.
SS1		23	0.22	0	0 957	1	11
SS2		29	0 290	) 1	000	1	9
SS3		27	0.270	) 1	.000	1	0
SS4		17	0.170	) 1	.000	1	Õ
SS5		8	0.080	) 1	.000	1	Õ
SS6		7	0.070	) 1	.000	1	0
QUEUE	MAX	CC	DNT.	ENTRY	ENTR	Y(0) AV	E.CONT.
AVE.TIM	ΙE						
QSS1	1	0	23	22		0.010	0
0.043							
QSS2	2	1	30	28		0.020	0
0.067							
QSS3	2	0	27	24		0.03	0
0.111							
QSS4	1	0	17	17		0.00	)
0.000							
QSS5	1	0	8	8		0.00	)
0.000							
QSS6	1	0	7	7		0.00	)
0.000							

#### 5. CONCLUSION

A probabilistic analytical model of processes in the LINUX operating system is proposed. It determines the probability that the process being studied is in a certain state at a given time, as well as the probability of it being in a certain state after a certain time. The model is simulated with the GPSS software. The proposed model can be used to model and study discrete-state processes.

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